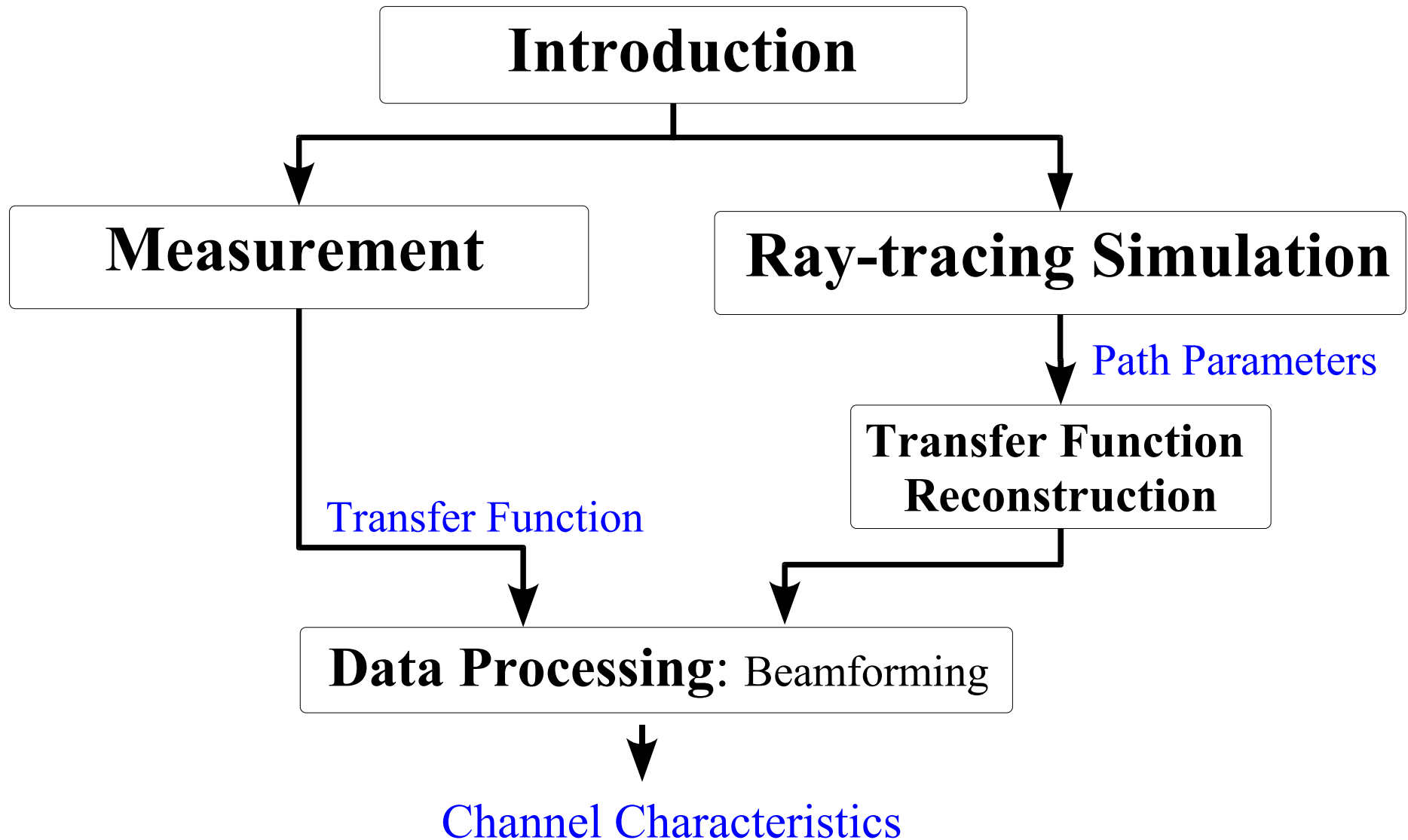


Directional Channel Characteristics from Microcell Measurement and Simulation

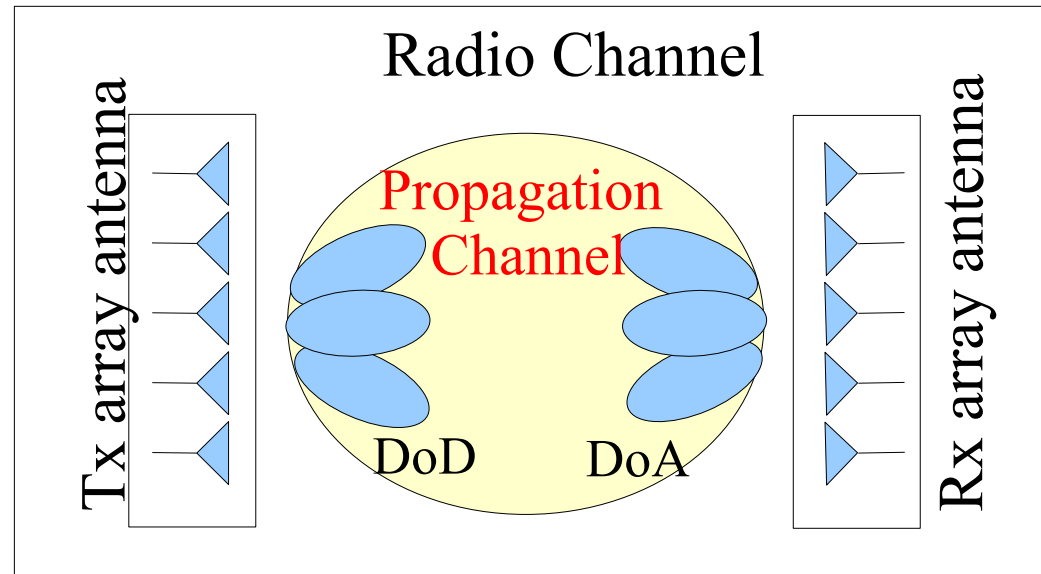
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TAKADA[†], Ichiro IDA^{††}, and Yasuyuki OISHI^{††}

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Outline



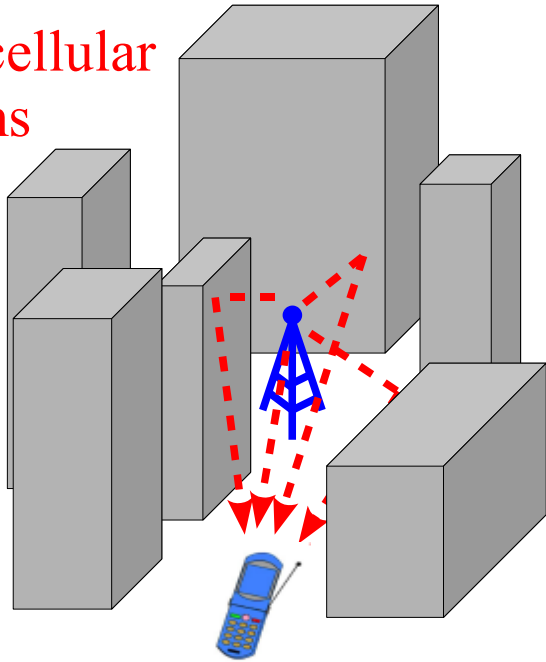
Introduction (1)



- Multiple Input Multiple Output (MIMO) systems employing antenna arrays have recently emerged as a key technology to address the increasing demands and reliability of the systems
- By separating the influence of antennas, the concept of the **double-directional mobile radio channel** has been introduced
- Models of wireless propagation channel should include the DoA, DoD and time delay of the multipath components.

Introduction (2)

Micro – cellular
systems

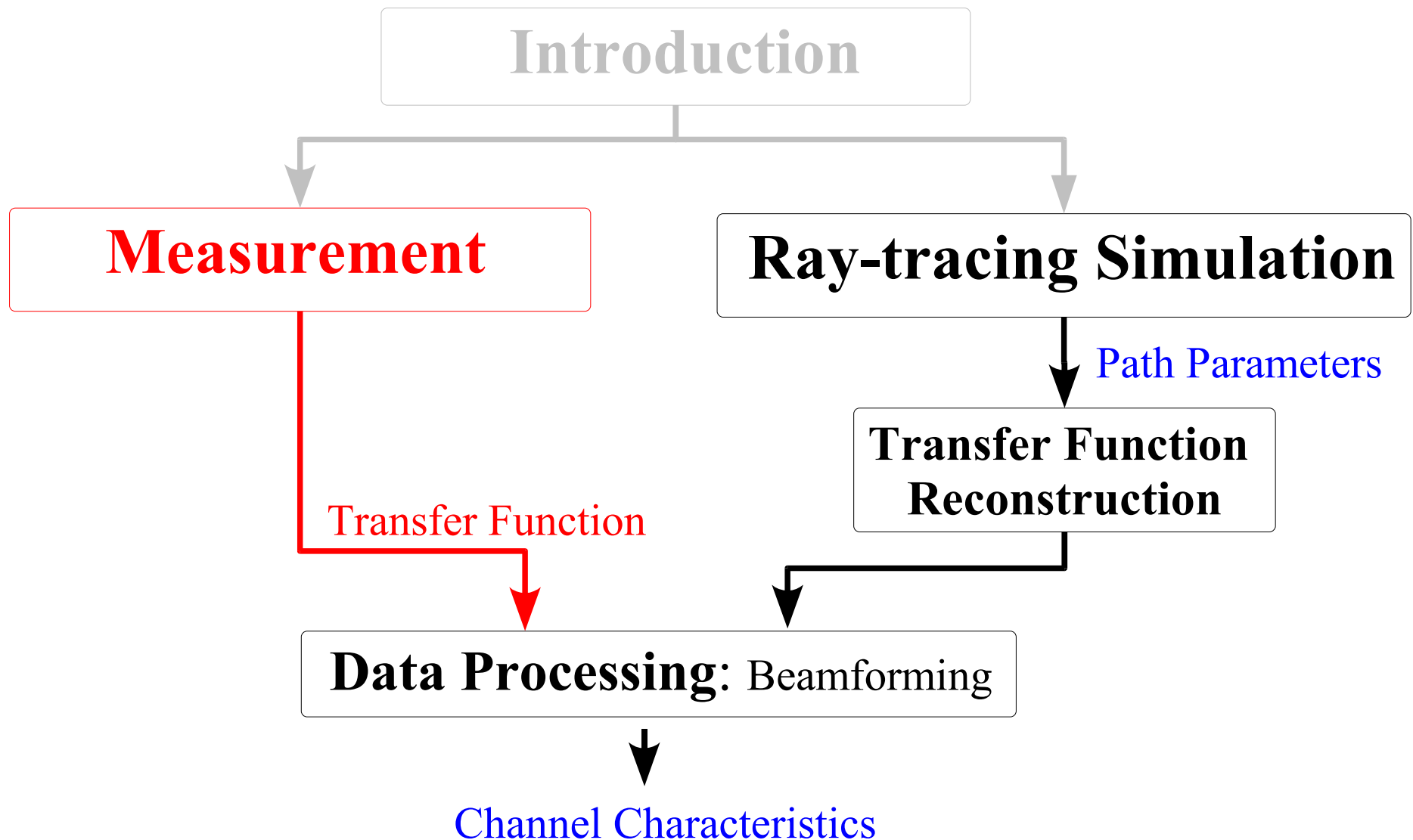


- Ray-tracing algorithms are popular approaches for propagation prediction and modeling
- Propagation mechanisms due to specular reflections from wall surfaces or diffraction from building edges can be predicted.
- Some mechanisms like non-specular scattering effects are not yet included.

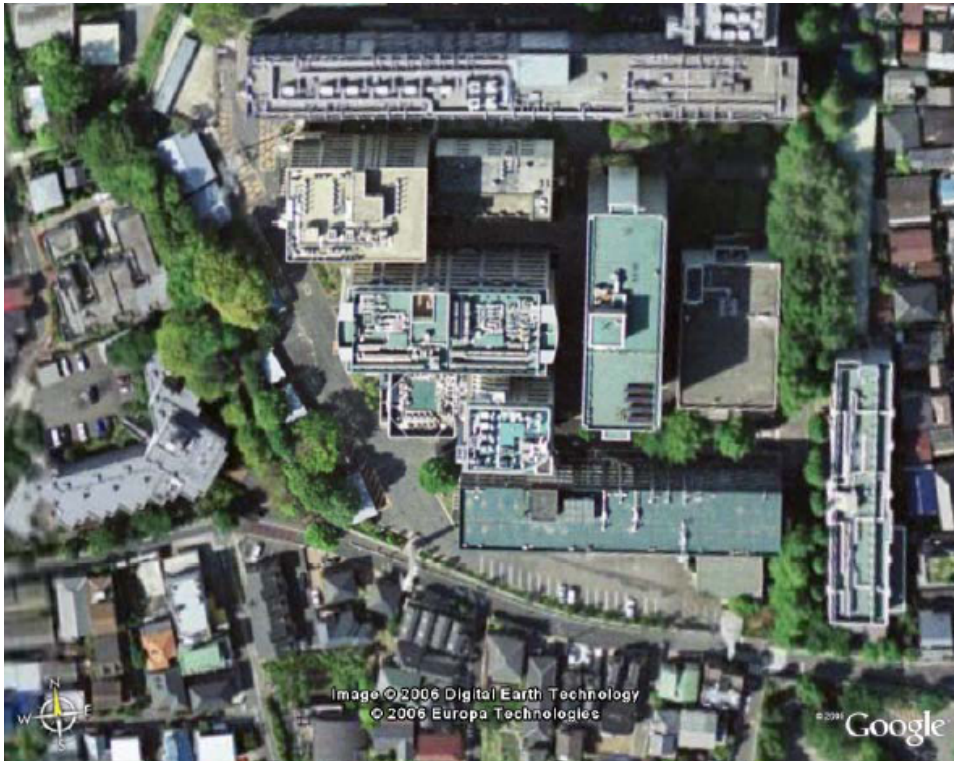
Objective :

- To analyze and compare directional wideband channel characteristics from the ray-tracing results with measurements to gain insights on the significant propagation mechanisms.

Outline



Measurement Scenario



- Location : TokyoTech
- Operating frequency : 4.5 GHz
- Bandwidth : 120 Mhz
- Delay resolution : 8.3 ns
- Excess delay : 3.2 μ s

Measurement Scenario

Transmitter (Tx)

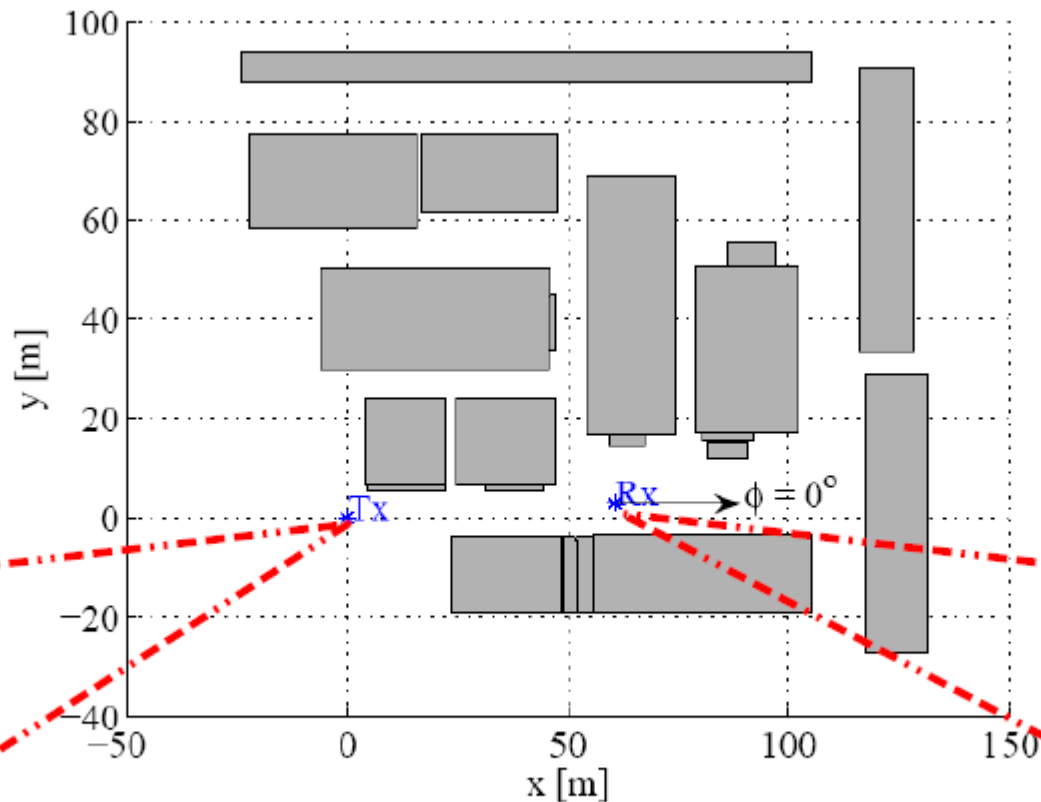
Height : 1.79 m.



- Operating frequency : 4.5 Ghz
- Transmitted power : 40 dBm
- Distance : 60 m.

Receiver (Rx)

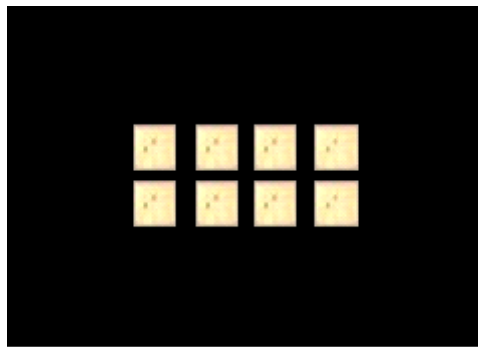
Height : 1.65 m.



Measurement Equipment

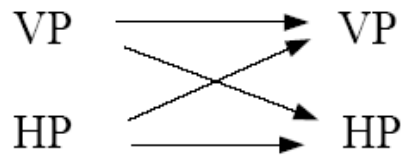
Equipment: RUSK Fujitsu channel sounder

Tx (BS)



2×4 uniform rectangular array antenna of dual-polarized patch antenna elements

(VP = 8 elements, HP = 8 elements)



Total = $16 * 96$
= 1536 elements

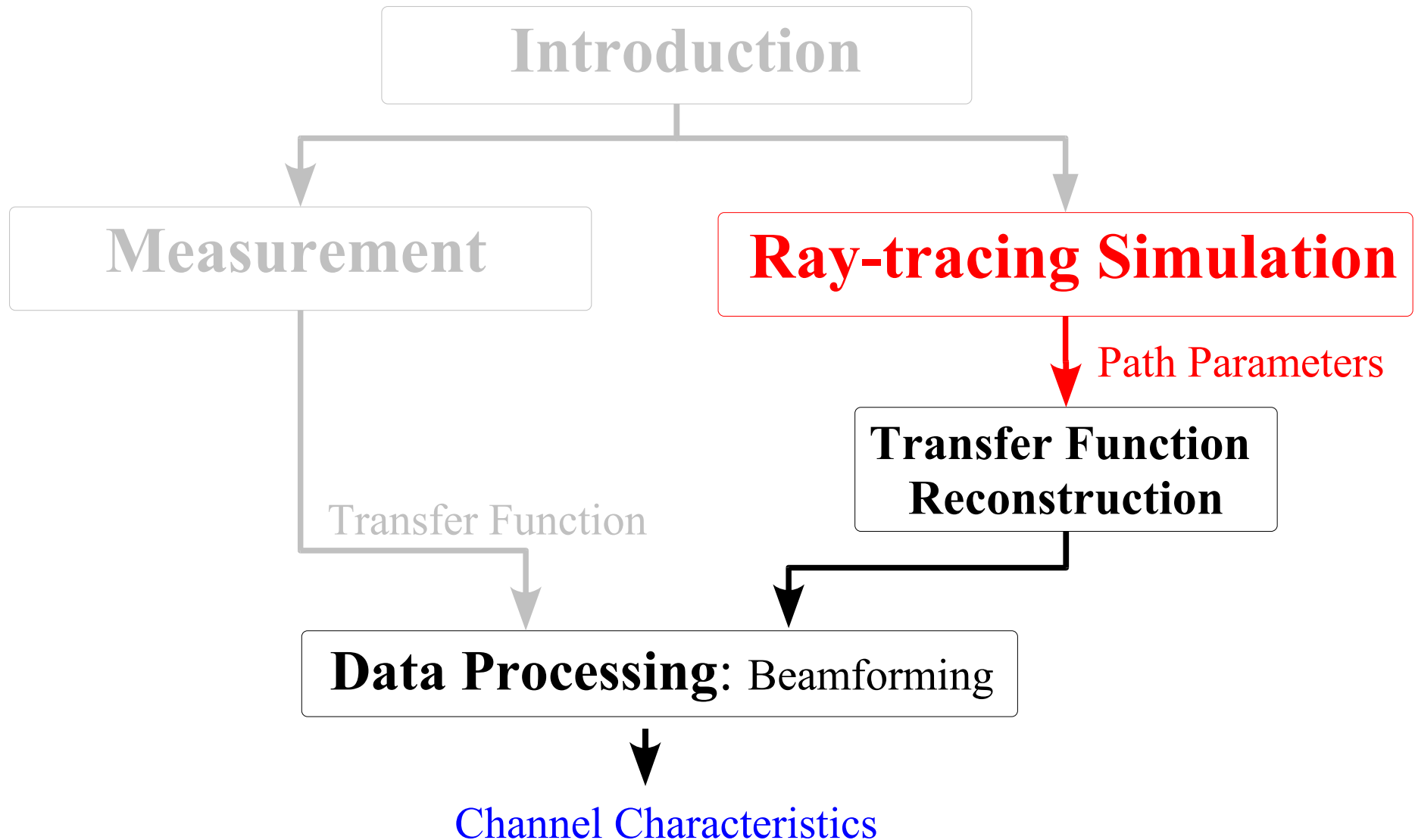
Rx (MS)



2×24 stacked uniform circular antenna array with dual-polarized patches

(VP = 48 elements, HP = 48 elements)

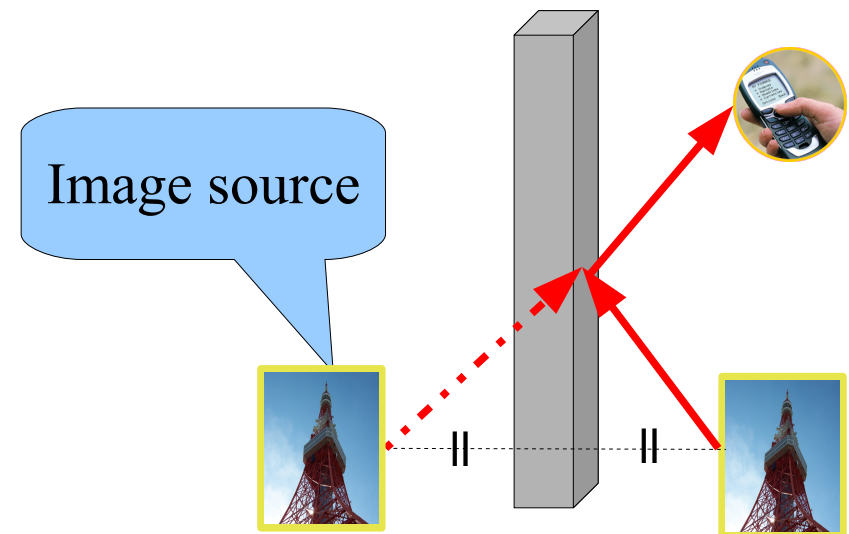
Outline



Ray-Tracing

- **Ray-tracing**: to identify rays with reflections and diffractions by tracing rays from a source to observation points
- By incorporating 3-dimensional (3D) site-specific scenario information, the ray-tracing simulator called “**Raplab**” is used to predict detailed path parameters.
- The image method is utilized to trace rays from a source to the observation point .

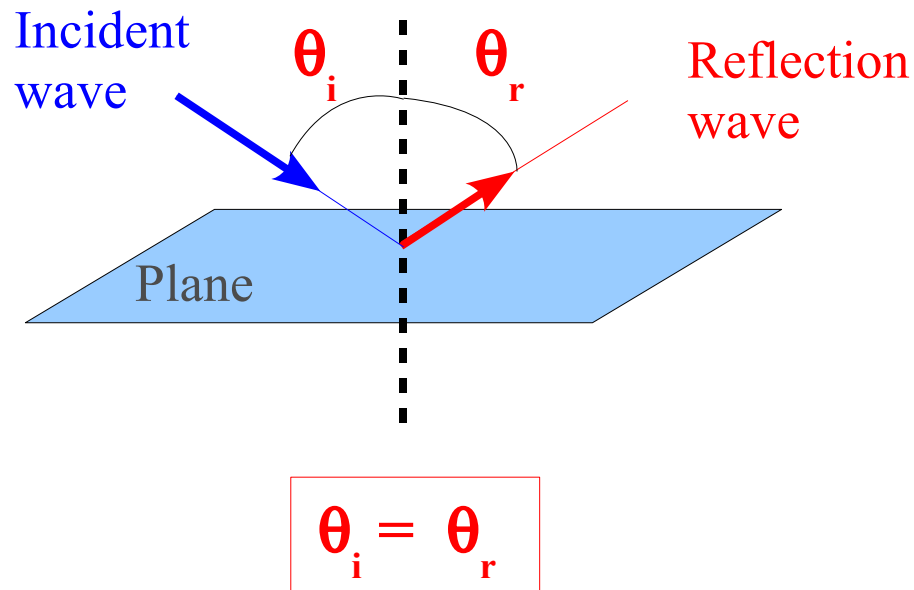
- Given a source point and a wall, the reflected ray from the wall can be considered as the ray radiated from a virtual source point



Calculation of Electromagnetic Wave Theory

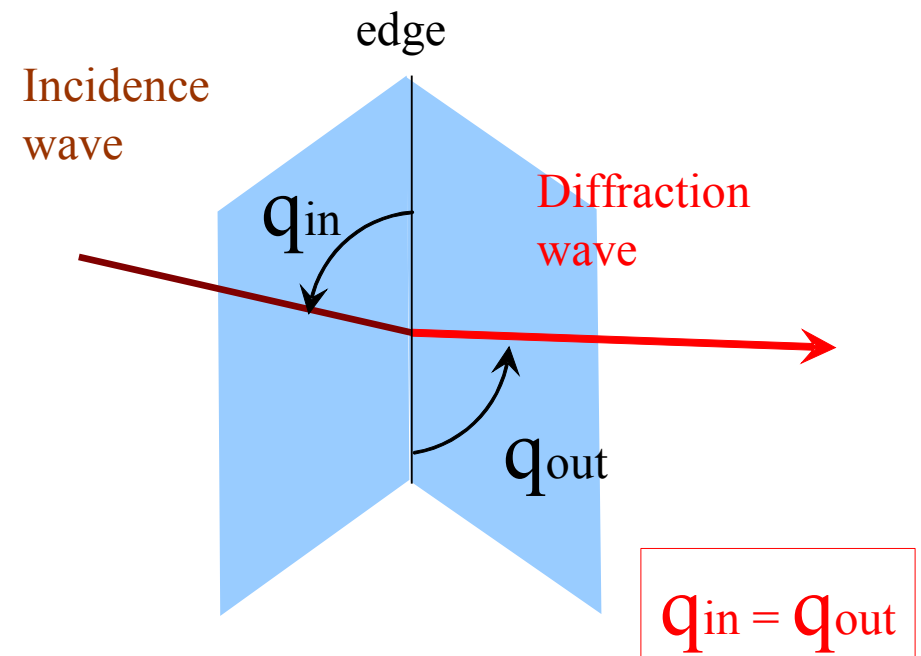
Reflection

- The Fresnel reflection coefficients are used to model the reflections

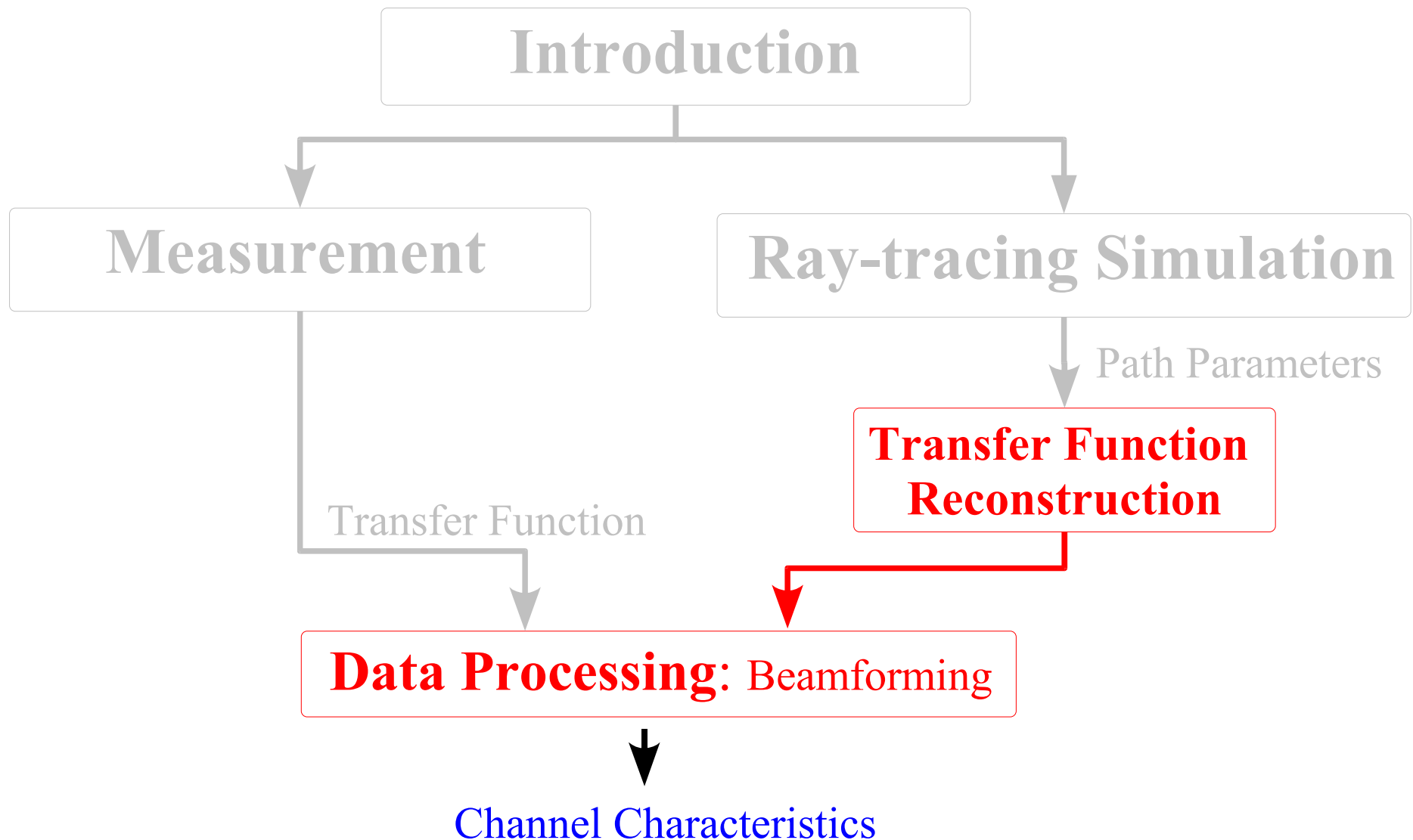


Diffraction

- Diffractions are described by the uniform geometrical theory of diffraction (UTD)



Outline



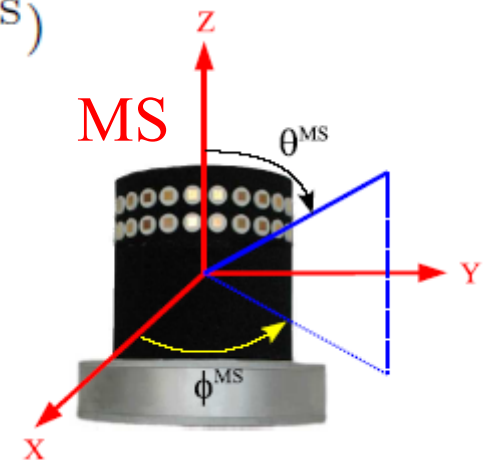
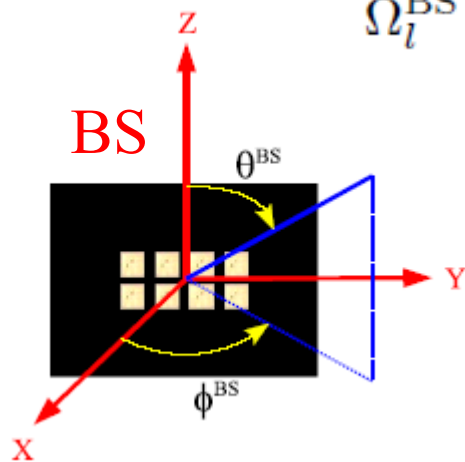
Transfer Function Reconstruction (1)

- Ray-based channel response model:

$$\bar{H}(f, \Omega^{\text{BS}}, \Omega^{\text{MS}}) = \sum_{l=1}^L [\hat{\theta}_l^{\text{BS}} \ \hat{\phi}_l^{\text{BS}}] \begin{bmatrix} \gamma_{\text{VV},l} & \gamma_{\text{VH},l} \\ \gamma_{\text{HV},l} & \gamma_{\text{HH},l} \end{bmatrix} \begin{bmatrix} \hat{\theta}_l^{\text{MS}} \\ \hat{\phi}_l^{\text{MS}} \end{bmatrix} \\ \cdot \delta(\Omega^{\text{BS}} - \Omega_l^{\text{BS}}) \cdot \delta(\Omega^{\text{MS}} - \Omega_l^{\text{MS}}) \cdot e^{(-j2\pi f\tau_l)}$$

where γ_{VV} and γ_{HH} are the co-polarization components of VP and HP
 γ_{VH} and γ_{HV} are those of cross polarization components

$$\Omega_l^{\text{BS}} = (\theta_l^{\text{BS}}, \phi_l^{\text{BS}}) \quad \text{and} \quad \Omega_l^{\text{MS}} = (\theta_l^{\text{MS}}, \phi_l^{\text{MS}})$$



Transfer Function Reconstruction (2)

- To simulate the propagation channel of measurement from ray-tracing results, the channel response is constructed as

$$\mathbf{H}_{\text{RT}}(f) = \iint_{\text{BS}} \iint_{\text{MS}} \underbrace{\bar{\mathbf{h}}_{\text{MS}}(\Omega^{\text{MS}})}_{\text{MS antenna array response}} \cdot \bar{\bar{\mathbf{H}}}(f, \Omega^{\text{BS}}, \Omega^{\text{MS}}) \cdot \underbrace{\bar{\mathbf{h}}_{\text{BS}}^{\text{H}}(\Omega^{\text{BS}})}_{\text{BS antenna array response}} d\Omega^{\text{MS}} d\Omega^{\text{BS}}$$

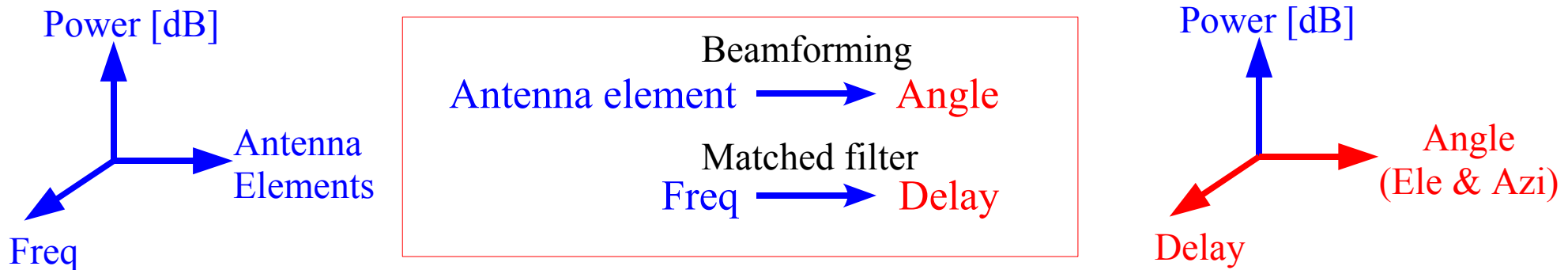
- To account for the frequency dependence of the phase delay in the exponential term, the channel response is represented in vector form for all frequency samples as

$$\mathbf{h}_{\text{RT}} = \begin{bmatrix} \text{vec}(\mathbf{H}_{\text{RT}}(f_{\frac{-(N_f-1)}{2}})) \\ \vdots \\ \text{vec}(\mathbf{H}_{\text{RT}}(f_0)) \\ \vdots \\ \text{vec}(\mathbf{H}_{\text{RT}}(f_{\frac{(N_f-1)}{2}})) \end{bmatrix}$$

Data Processing : Beamforming

- The beamforming in the angular domain and the matched filtering in the delay domain are conducted by using the weight vector

$$\mathbf{w}(\tau, \Omega^{\text{BS}}, \Omega^{\text{MS}}) = \mathbf{h}_{\text{MS}}(\Omega^{\text{MS}}) \otimes \mathbf{h}_{\text{BS}}(\Omega^{\text{BS}}) \otimes \mathbf{h}_{\text{F}}(\tau)$$



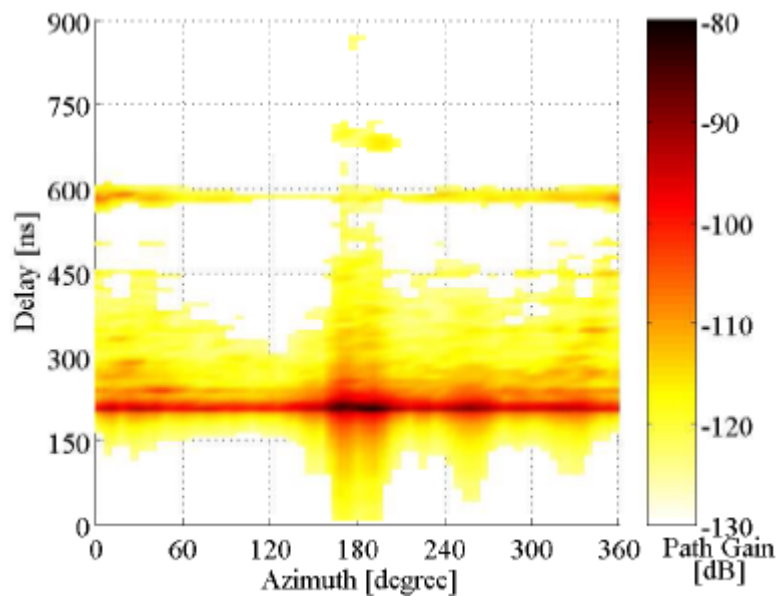
- The resultant spectrum: $P(\tau, \Omega^{\text{BS}}, \Omega^{\text{MS}}) = \frac{|\mathbf{w}^{\text{H}}(\tau, \Omega^{\text{BS}}, \Omega^{\text{MS}})\mathbf{h}_{\text{RT}}|^2}{\mathbf{w}^{\text{H}}(\tau, \Omega^{\text{BS}}, \Omega^{\text{MS}})\mathbf{w}(\tau, \Omega^{\text{BS}}, \Omega^{\text{MS}})}$
- Beamforming is applied every 6° -> Azimuth Range : $0^\circ - 360^\circ$
Coelevation Range : $30^\circ - 150^\circ$

Results and discussion

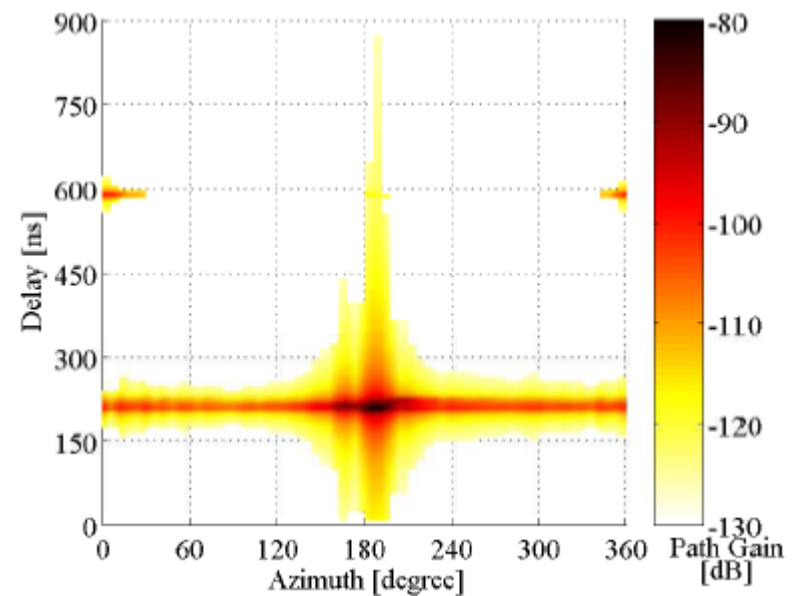
- The measurement result of the azimuth-delay power spectrum after applying beamforming is

$$P_{\text{ADS}} = \frac{\sum_{\theta^{\text{MS}}=1}^{N_{\theta^{\text{MS}}}} \sum_{\theta^{\text{BS}}=1}^{N_{\theta^{\text{BS}}}} \sum_{\phi^{\text{BS}}=1}^{N_{\phi^{\text{BS}}}} (P_{\text{VBS}}(s) + P_{\text{HBS}}(s))}{N_{\theta^{\text{MS}}} \cdot N_{\theta^{\text{BS}}} \cdot N_{\phi^{\text{BS}}}}$$

Azimuth Delay Spectrum: Measurement



Azimuth Delay Spectrum: Simulation



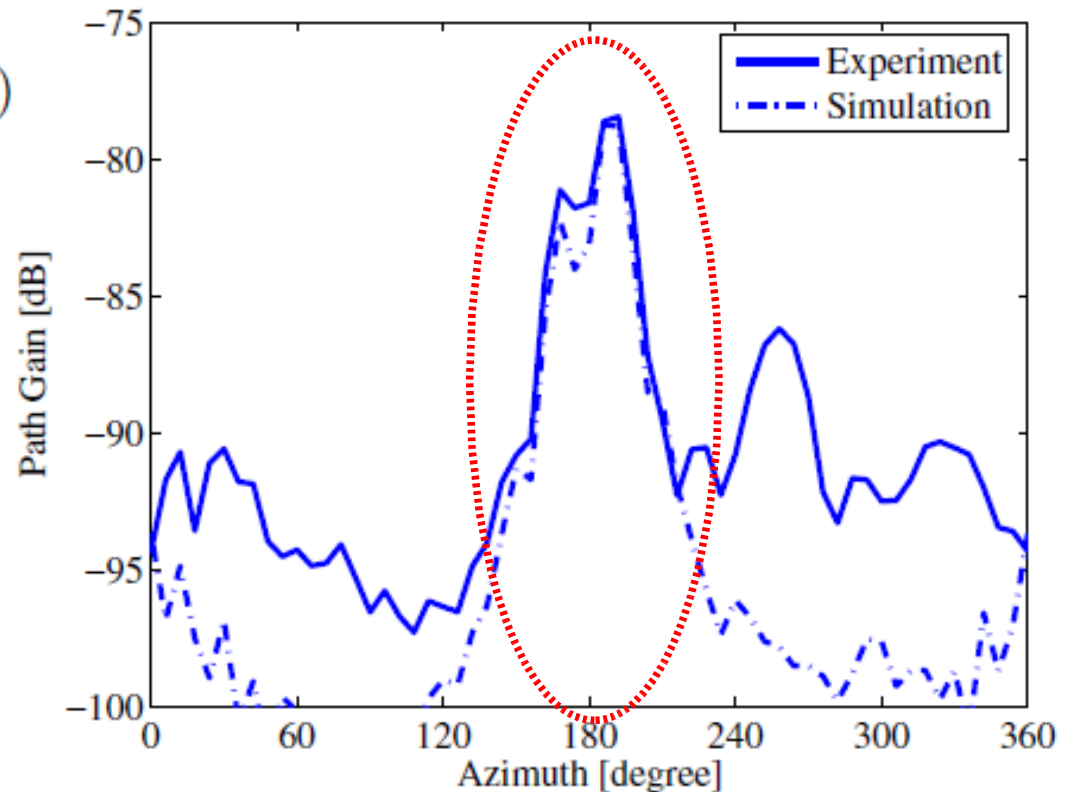
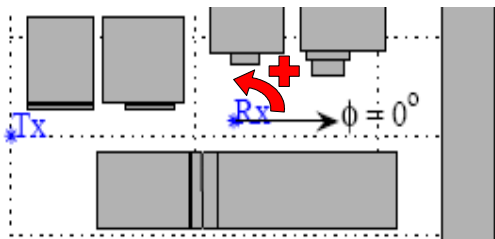
- Ray-tracing simulation can predict the arrival of strong signals

Azimuth spectrum

- Azimuth spectrum can be obtained by summing up the power of azimuth-delay spectrum with respect to delay time

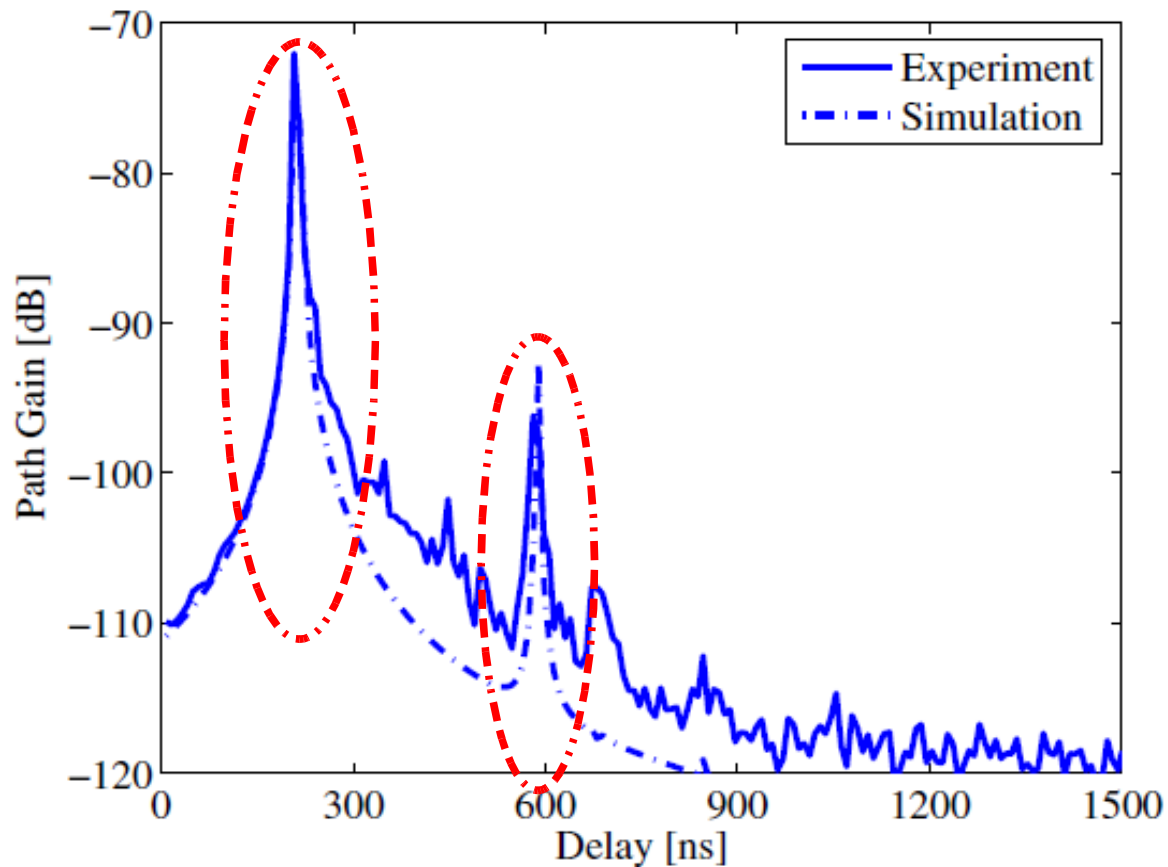
$$P_{AS}(\phi^{MS}) = \sum_{\tau=1}^{N_{\tau}=385} P_{ADS}(\phi^{MS}, \tau)$$

- The arrival waves within the range from 138° to 216° are in agreement with respect to the shape of the spectrum



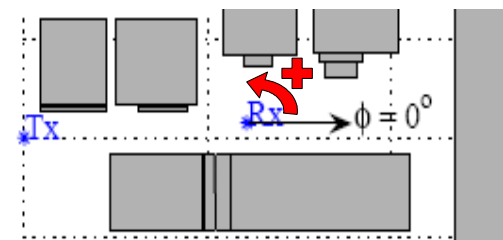
Delay spectrum

- Delay spectrum can be obtained by summing up the azimuth-delay spectrum with respect to the azimuth angle.



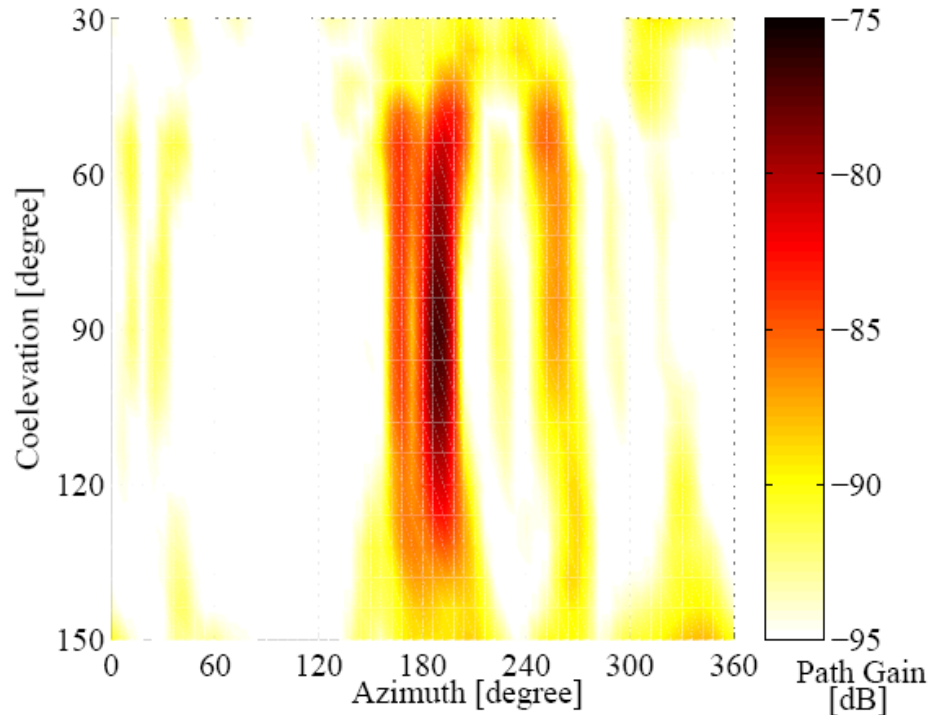
$$P_{DS}(\tau) = \sum_{\phi^{MS}=1}^{N_{\phi^{MS}}=61} P_{ADS}(\phi^{MS}, \tau)$$

- The 200 ns peak is composed of the LOS path and other paths close to it. (reflections from the building walls in between BS and MS)

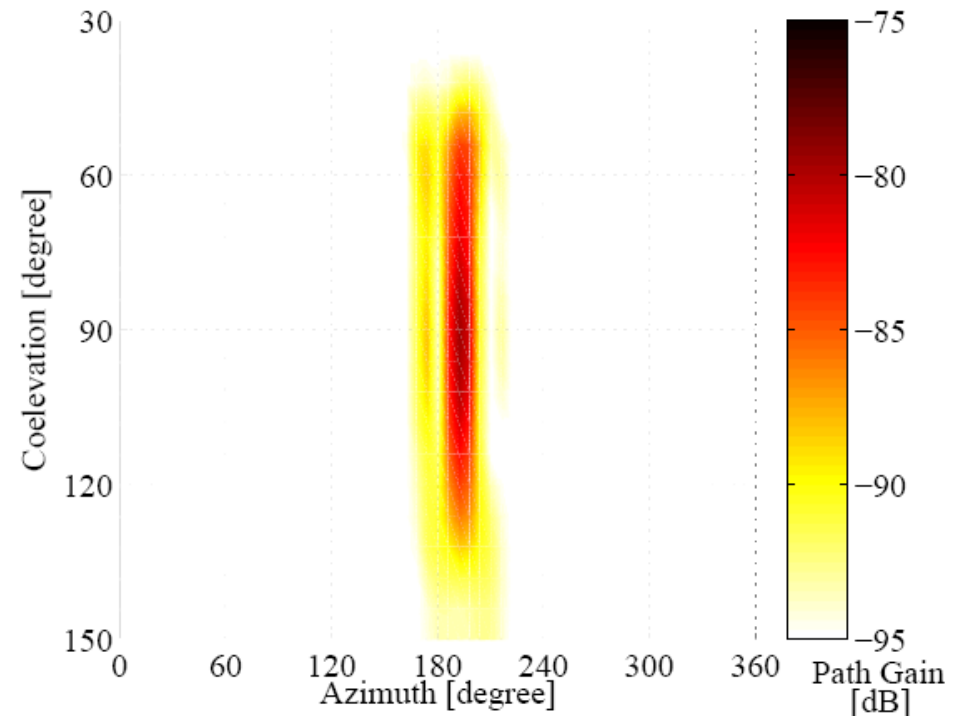


Azimuth- Coelevation Spectrum

Azimuth-Coelevation Spectrum: Measurement



Azimuth-Coelevation Spectrum: Simulation



- By specifying the delay domain at the maximum path gain occurring at 207 [ns], azimuth-coelevation spectrum can be obtained.
- Ray-tracing simulation can estimate the coelevation within 50° to 130°

Conclusion

- A ray tracing simulator was used to predict the path parameters of a LOS microcellular environment inside a university campus
- Ray tracing results were applied to reconstruct the channel response.
- For channel data processing, the beamforming and matched filtering are utilized to extract the angular and delay channel parameters and compared to measured results.
- The results have shown that the angular and delay channel parameters extracted from the ray-tracing result can predict the major peaks with those from the measurement.

Thank you
for your attention